CBCS SCHEME

USN

18MAT31

Third Semester B.E. Degree Examination, July/August 2021 Transform Calculus, Fourier Series and Numerical

Techniques

Max. Marks:100

Time: 3 hrs.

Note: Answer any FIVE full questions.

a. Find L[$t e^{-2t} \sin 4t$].

(06 Marks)

- b. A periodic function of period $2\pi/\omega$ is defined by $f(t) = \begin{cases} E \sin \omega t, & 0 \le t < \frac{\pi}{\omega} \\ 0, & \frac{\pi}{\omega} \le t < \frac{2\pi}{\omega} \end{cases}$. Where E and (07 Marks)
- c. Solve: $y''(t) + k^2y(t) = 0$; y(0) = 0 and y'(0) = 1 by Laplace transformation.

(07 Marks)

- 2 a. Find: i) $L^{-1} \left\{ \frac{s^2 3s + 4}{s^3} \right\}$ ii) $L^{-1} \left[\cot^{-1} \left(\frac{S}{2} \right) \right]$.

(06 Marks)

b. Find the inverse Laplace transform of $\frac{1}{(s-1)(s^2+1)}$ by using convolution theorem.

(07 Marks)

- c. Express the following function in terms of Heaviside step function and hence find its Laplace transform where $f(t) = \begin{cases} t^2, & 0 < t \le 2 \\ 4t, & t > 2 \end{cases}$ (07 Marks)
- a. Expand $f(x) = x(2\pi x)$ as a Fourier series in $[0, 2\pi]$.

(06 Marks)

- a. Expand $f(x) = x(2\pi x)$ as a Fourier series in $[0, 2\pi]$.

 b. Obtain Fourier series for the function f(x) given by $f(x) = \begin{cases} 1 + \frac{2x}{\pi}, & -\pi \le x \le 0 \\ 1 + \frac{2x}{\pi}, & 0 \le x \le \pi \end{cases}$
- Find the half range sine series of $f(x) = \frac{e^{ax}}{\sinh a \pi}$ in $(0, \pi)$.

(07 Marks)

- Find the Fourier series expansion of f(x) given by $f(x) = \begin{cases} 1 & 0 < x < 1 \\ 2 & 1 < x < 3 \end{cases}$ (06 Marks)
 - Find the half range sine series for x^2 in $(0, \pi)$.

(07 Marks)

c. The values of x and the corresponding values of f(x) over a period T are given below. Show that $f(x) = 0.75 + 0.37 \cos \theta + 1.004 \sin \theta$ where $\theta = \frac{2\pi x}{T}$. (07 Marks)

 x
 0
 T/6
 T/3
 T/2
 2T/3
 5T/6

 f(x)
 1.98
 1.30
 1.05
 1.30
 -0.88
 -0.25

- State: i) Initial and final value theorems ii) Find the Z –transform of $\cos\left(\frac{n\pi}{2} + \frac{\pi}{4}\right)$. (06 Marks)
 - b. Find the complex Fourier transform of the function $f(x) = \begin{cases} 1 & \text{for } |x| \le a \\ 0 & \text{for } |x| > a \end{cases}$ Hence evaluate $\int_{0}^{\infty} \left(\frac{\sin x}{x} \right) dx$. (07 Marks)
 - c. Compute the inverse Z-transform of $\frac{3z^2 + 2z}{(5z-1)(5z+2)}$. (07 Marks)

18MAT31

- 6 a. Find the Fourier cosine transform of $f(x) = \begin{cases} x, & 0 < x < 2 \\ 0, & \text{else where} \end{cases}$ (06 Marks)
 - b. Find the Z-transform of $2n + \sin \frac{n\pi}{4} + 1$. (07 Marks)
 - c. Solve the difference equation: $u_{n+2} 3u_{n+1} + 2u_n = 0$, with $u_0 = 0$ and $u_1 = -1$. (07 Marks)
- 7 a. Find by Taylor's series method the value of y at x = 0.1 to five places of decimals from $\frac{dy}{dx} = x^2y 1, y(0) = 1.$ (06 Marks)
 - b. Use fourth order Runge-Kutta method to solve $(x + y)\frac{dy}{dx} = 1$, y(0.4) = 1 at x = 0.5 correct to four decimal places. (07 Marks)
 - c. If $\frac{dy}{dx} = 2e^x y$, y(0) = 2, y(0.1) = 2.010, y(0.2) = 2.040 and y(0.3) = 2.090, find y(0.4) correct to four decimal places by using Milne's predictor corrector method and applying corrector formula twice.
- 8 a. Using modified Euler's formula compute y(1.1) correct to five decimal places given that
 \[
 \frac{dy}{dx} + \frac{y}{x} = \frac{1}{x^2} \] and y = 1 at x = 1. [taking h = 0.1].
 \[
 (06 Marks)
 \]
 b. Employ Taylor's series method to find y at x = 0.1 and 0.2 correct to four places of decimal.
 - b. Employ Taylor's series method to find y at x = 0.1 and 0.2 correct to four places of decimal. Given $\frac{dy}{dx} - 2y = 3e^x$, y(0) = 0. (07 Marks)
 - c. Solve the differential equation $y' + y + xy^2 = 0$ with the initial values of $y : y_0 = 1$, $y_1 = 0.9008$, $y_2 = 0.8066$, $y_3 = 0.722$ corresponding to the values of $x : x_0 = 0$, $x_1 = 0.1$, $x_2 = 0.2$, $x_3 = 0.3$ by computing the value of y corresponding to x = 0.4 applying Adams Bashforth predictor and corrector formula. (07 Marks)
- 9 a. Given y'' xy' y = 0 with the initial conditions y(0) = 1, y'(0) = 0, compute y(0.2) using fourth order Runge-Kutta method. (06 Marks)
 - b. Derive Euler's equation in the standard form $\frac{\partial f}{\partial y} \frac{d}{dx} \left(\frac{\partial f}{\partial y'} \right) = 0$. (07 Marks)
 - c. A heavy cable hangs freely under gravity between two fixed points. Show that the shape of the cable is a catenary.

 (07 Marks)
- 10 a. Apply Milne's method to compute y(0.8) given that y'' = 1 2yy' and the following table of initial values. (07 Marks)

 x
 0
 0.2
 0.4
 0.6

 y
 0
 0.02
 0.0795
 0.1762

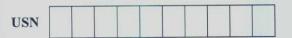
 y'
 0
 0.1996
 0.3937
 0.5689

b. Prove that the geodesics on a plane are straight line.

(06 Marks)

c. Find the extremal of the functional : $\int_{0}^{x_1} (y^2 + y'^2 - 2y \sin x) dx$. (07 Marks)

CBCS SCHEME



18EE32

Third Semester B.E. Degree Examination, Jan./Feb. 2021 Electric Circuit Analysis

Time: 3 hrs.

Max. Marks: 100

Note: Answer any FIVE full questions, choosing ONE full question from each module.

Module-1

1 a. Define:

i) Linear and non linear circuit

ii) Active and passive circuit

iii) Unilateral and bilateral circuit.

(06 Marks)

b. For the circuit shown in Fig.Q1(b) determine resistance between M and N using star/delta transformation.

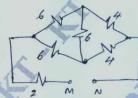


Fig.Q1(b)

(06 Marks)

c. Use node voltage analysis to find node voltages in the network shown in Fig.Q1(c).

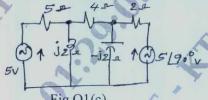


Fig.Q1(c)

(08 Marks)

OR

a. Derive an expression for converting Delta to Star.

(06 Marks)

b. Determine potential difference between M and N using source transformation of circuit shown in Fig.Q2(b).

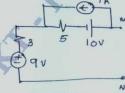
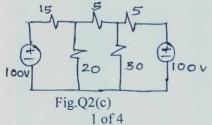


Fig.Q2(b)

(06 Marks)

c. Use Mesh current analysis to find the current flowing in 30Ω resistor of circuit shown in Fig.Q2(c).



(08 Marks)

2. Any revealing of identification, appeal to evaluator and /or equations written eg, 42+8 = 50, will be treated as malpractice. Important Note: 1. On completing your answers, compulsorily draw diagonal cross lines on the remaining blank pages.

Module-2

3 a. State and prove reciprocity theorem.

b. For the circuit shown in Fig.Q3(b) find 'Ix' using super position theorem.

(06 Marks)

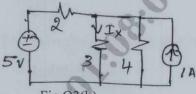
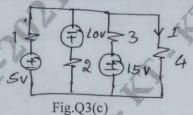


Fig.Q3(b) (07 Marks)

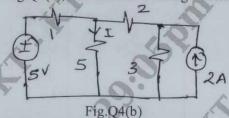
c. Use Milliman's theorem to find current in the circuit shown in Fig.Q3(c).



(07 Marks)

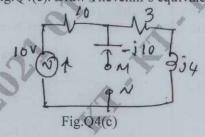
OR

- 4 a. State and obtain condition for maximum power when load impedance is equal to pure variable resistance. (06 Marks)
 - b. For the network shown in Fig.Q4(b), find current 'I' using Norton's theorem.



(07 Marks)

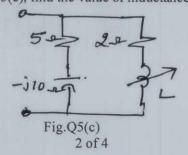
c. For the network shown in Fig.Q4(c). Draw Thevenin's equivalent circuit.



(07 Marks)

Module-3

- 5 a. Show that resonant frequency is the geometric mean of cut-off frequencies. (07 Marks)
 - b. A series RLC circuit has a resistance of 100Ω , an inductance of 0.5H and capacitance of 0.4 μ F. Find the resonant frequency, half power frequencies, band width and quality factor. (07 Marks)
 - c. For the circuit shown in Fig.Q5(c), find the value of inductance take w = 500r/s.



(06 Marks)

6 a. Explain the behavior of R, L and C for initial condition.

(07 Marks)

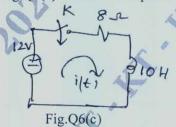
b. For the network shown in Fig.Q6(b) switch is closed at t = 0. Determine current and its first and second derivative at $t = 0^+$.



Fig.Q6(b)

(07 Marks)

c. For the R – L circuit shown in Fig.Q6(c). Obtain the expression for current i(t) for $t \ge 0$.



(06 Marks)

Module-4

7 a. State and prove initial value theorem.

(06 Marks)

b. Find the inverse Laplace transform of

$$V(s) = \frac{10}{s(s+1)(s+2)}$$
.

(07 Marks)

c. For the network shown in Fig.Q7(c), draw the transformed circuit and obtain the expression for current i(t) for $t \ge 0$.



Fig.Q7(c)

(07 Marks)

OF

8 a. Find the ILT of: i) step signal ii) Ramp iii) impulse signal.

(06 Marks)

b. For the waveform shown in Fig.Q8(b) obtain the Laplace transform.

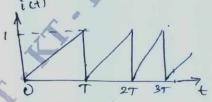


Fig.Q8(b)

(08 Marks)

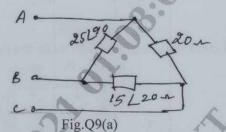
- c. Find the initial and final value of following functions:
 - i) $V_1(s) = \frac{s^2 + 3s + 2}{s^3 + 3s^2 + 3s + 1}$

ii) $V_2(s) = \frac{10}{s(s+3)}$.

(06 Marks)

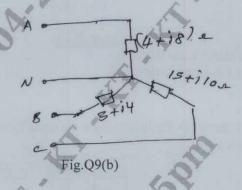
Module-5

9 a. A 3 phase supply with line voltage of 250V has a unbalanced Delta connected load as shown in Fig.Q9(a). Determine line currents, active and reactive power for phase sequence A B C.



(10 Marks)

b. An unbalanced 4 wire star connected load has a balanced supply of 400V. For the phase sequence ABC, calculate the line currents and total power of the circuit shown in Fig.Q9(b).



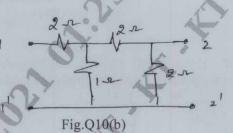
(10 Marks)

OR

10 a. Obtain the Impedance parameters in terms of Admittance parameters.

(10 Marks)

b. For the network shown in Fig.Q10(b) determine z-parameters.



(10 Marks)

GBCS SCHEME

USN						275	18EE33

Third Semester B.E. Degree Examination, July/August 2021 Transformers and Generators

Time: 3 hrs.

Note: Answer any FIVE full questions.

Max. Marks: 100

a. Write short notes on V - V connection.
b. State the advantages of single three phase transformer over bank of single phase

transformers. (06 Marks)

c. Find the all day efficiency of single phase transformer having maximum efficiency of 98% at 15KVA at UPF and loaded as follows:

12 hours – 2 KW at 0.5 pf lagging 6 hours – 12 KW at 0.8 pf lagging 6 hours – No load.

(08 Marks)

 a. Draw and explain the full load phasor diagrams of 1φ transformers for lagging, leading and UPF load. (10 Marks)

b. A 20 KVA, 2000/200V single phase transformer has the following parameters. HV winding $R_1 = 3\Omega$, $X_1 = 5.3\Omega$, $R_2 = 0.05\Omega$, $X_2 = 0.1\Omega$. Find the voltage regulation at 0.8pf lagging.

c. A 3φ step down transformer is connected to 6600V and it takes 10A. Calculate the secondary line voltage, line current and output for: i) star – delta ii) Delta – Delta.

(05 Marks)

Derive the expression for load shared between two transformers connected in parallel when voltage ratios are different with phasor diagram.

(10 Marks)

b. In a Sumpner's test on two identical single phase transformers rated 500KVA. 11/0.4KV, 50Hz, the wattmeter reading on HV side is 6000W and on LV side is 15000W. Find the efficiency of each transformer on half full load of 0.8pF. What will be its maximum efficiency?

(10 Marks)

4 a. What are the conditions to be satisfied for parallel operation of two transformers? Explain briefly. (06 Marks)

b. Derive an expression for saving of copper when an auto transformer is used.
c. Compare auto transformer with two winding transformer.
(08 Marks)
(06 Marks)

5 a. Derive EMF equation of a 3φ alternator.

(06 Marks)

b. What are the methods used to reduce harmonics in 3φ alternators? Explain.

(06 Marks)

c. What is armature reaction? With neat figures explain in detail.

(08 Marks)

a. A 3φ, 50Hz, 10 pole alternator has 90 slots. The flux per pole is 0.15Wb. If the winding is to be star connected to give a line voltage of 11000V. Find the number of armature conductors to be connected in series/phase. Assume K_p = 1.

b. Write short notes on synchronous reactance.

(06 Marks)

c. What is commutation? What are the methods available for improving commutation? Explain briefly. (08 Marks)

- 7 a. Enumerate the methods available for determining the voltage regulation of an alternator. Explain ZPF method in detail. (10 Marks)
 - b. A 2300V, 50Hz, 3φ star connected alternator has an effective armature resistance of 0.2Ω. A field current of 35A produces a current of 150A on short circuit and an open circuit emf 780V(line). Calculate the voltage regulation at 0.8pF lagging and 0.8pF loading for the full load current of 25A.
- 8 a. Show that the short circuit ratio of an alternator is the reciprocal of the per unit value of the synchronous reactance at rated value. Explain its significance. (10 Marks)
 - b. A 10 KVA, 440V, 50Hz, 3¢ star connected alternator has the OCC as given below:

6,750						
J _f (A)	1.5	3	5	8	11	15
Voc(line) (Volts)	150	300	440	550	600	635

With full load zero pF, the applied excitation required is 14A to produce 500V of terminal voltage. On short circuit, 4A excitation is required to give full load current. Determine the voltage, regulation for full load, 0.8pF lagging and leading. (10 Marks)

- 9 a. Write a short note on capability curves of synchronous generator. (06 Marks)
 - b. What is hunting in synchronous machines? Explain the role of damper windings. (06 Marks)
 - c. What is synchroscope? How it is used for synchronization of alternators? (08 Marks)
- 10 a. With a phasor diagram, explain the concept of two reaction theory in a salient pole synchronous machine. (07 Marks)
 - b. With a neat circuit diagram, explain the slip test on salient pole synchronous machines and indicate how X_d and X_q can be determined. (07 Marks)
 - c. An alternator has a direct axis synchronous reactance of 0.7 per unit and a quadrature axis synchronous reactance of 0.4 per unit. It is used to supply full load at rated voltage at 0.8pF. Find the total induced emf on open circuit. (06 Marks)

CBCS SCHEME

18CPC39/49

USN						Question Paper Version : A	
UBIT		-					

Third/Fourth Semester B.E Degree Examination, July/August 2021 Constitution of India, Professional Ethics and Cyber Law

	(COMMON TO ALL BRANCHES)	
me:	2 hrs.] [Max. Marks: 10)(
	INSTRUCTIONS TO THE CANDIDATES	
1.	Answer all the hundred questions, each question carries one mark.	
2.	Use only Black ball point pen for writing / darkening the circles.	
3.	For each question, after selecting your answer, darken the appropriate circle	
	corresponding to the same question number on the OMR sheet.	
4.	Darkening two circles for the same question makes the answer invalid.	
5.	Damaging/overwriting, using whiteners on the OMR sheets are strictly	,
	prohibited.	
1.	The Indian Constitution is, a) Based on convention b) A brief document c) An evolved constitution d) Written and Lengthy document	
2.	The Phrase Economic Justice is found in, a) Fundamental rights b) Preamble and Directive principle of state policy c) Fundamental duties and DPSP d) Fundamental duties	
3.	The total number of Articles in the Indian Constitution in 1950 is,	
	a) 397 b) 395 c) 400 d) 445	
4.	The President/Chairman of the constituent assembly was, a) Jawaharlal Nehru b) M.K. Gandhi c) Dr. B. R. Ambedkar d) Dr. Babu Rajendra Prasad	
5.	Our Constitution was adopted on, a) 26 th Jan 1950 b) 26 th Nov 1949	
	a) 26 Jan 1930 c) 15 th Aug 1947 d) 26 th Feb 1946	
6.	Which of the following is not a fundamental right, a) Right to Freedom b) Right to Property c) Right to Constitutional Remedies d) Right to Religion	
7.	In case of illegal detention of a Person the High court or Supreme court issue	

writ,

a) Mandamus

b) Quo-warranto

c) Habeas corpus

d) Certiorari

8.	The term "Secular" m		b) No King or Quee	en	
	a) Peoples Governmec) Equal opportunity		d) Treating all religions equally		
	7771 1 1 Cd	e is known as heart an	d soul of our constitut	tion.	
9.	a) Article - 19	b) Article – 14	c) Article - 21	d) Article - 32	
10.	A Person arrested has a) One week	s to be produced befor b) 72 hours	e the Magistrate with c) 48 hours	in, d) 24 hours	
11.	The Government of I a) Dyarchy at the cen c) Provincial Autono		b) Dyarchy at the p d) All the above	rovince	
12.	The Right to Equality a) 12	y is under Article, b) 14	c) 19	d) 21	
13.	Freedom of Assembla) 14	y is under Article b) 15	c) 19	d) 21	
14.	a) 42 nd	were incorporated in t b) 44 th	c) 45 th	d) 46	
15.	Under the Indian Co a) 2 lists	nstitution subjects of a b) 3 lists	administration are div c) 4 lists	ided into, d) 5 lists	
16.	Right to constitution a) Art-12	al remedies is provide b) Art-14	ed in the c) Art-19	d) Art-32	
17.	The Speaker of the I a) Appointed by PM c) Selected by the n		b) Appointed by the	ne President member of Parliament	
18.	Chairman of the con a) Jagjivan Ram	stitution drafting com b) M K Gandhi	mittee was, c) Jawaharlal Nehro	ı d) Dr. B. R. Ambedkar	
19.	The word "Secular" a) Preamble c) Fundamental righ	was inserted in the co	onstitution, b) Directive princi d) Fundamental du		
20.	Fundamental duties a) Amendment c) G.O.	in the Indian are prov	ided by way of, b) Order of suprer d) Order of Presid		
21.	The executive power a) Governor	er of the state is vested b) Chief Minister	in the, c) President	d) Chief Secretary	
22.	a) PM Admi	inister oath of office to M c) President		tice of the High Court	
23.	total number of ML				
	a) 12%	b) 15%	c) 20%	d) 40%	

24.	The minimum age st a) 25	ipulated to become MI b) 30	LC is, c) 35	d) 40
25.	The Chief Minister s a) PM	shall be appointed by the b) President	ne, c) Chief Justice	d) Governor
26.	The Governor of a state a) PM b) C		sident d) Party	High Command
27.	The term of the state a) 4 year	assembly is, b) 5 year	c) 6 year	d) 3 year
28.	The Judge of a High a) PM b) CM	Court may be removed c) President		es of impeachment
29.		sdiction under Article 2 ction b) Writ Jurisdic		d) Residual
30.	Under Article constitution, a) Article 256	b) Article 311	ion parliament has the	power to amend the d) Article 368
31.	Which of the follows a) Kesavananda Bha c) Maneka Gandhi c	The state of the s	ndamental right case, b) Minerva Mills case d) Golaknath case	_
32.	a) 41 st Constitutio	nal Amendment reduce b) 61 st	ed the voting age from 2 c) 73^{rd}	l years to 18 years d) 74 th
33.	Right to Education (a) 46 th	RTE) was introduced i b) 61 st	n Amendment c) 76 th	d) 86 th
34.	Amendme a) 99 th	ent introduced GST, b) 100 th	c) 101 st	d) 103 rd
35.	Rajya Sabha membe a) 4	r has a term of b) 5	year,	d) 8
36.	The Indian Constitut a) Parliament		Amending the constitut PM d) Suprem	ion to, ne court of India
37.	Who is neutral in the a) Chief Minister	e affairs of the party po b) Home Minister	olitics, c) Finance Minister	d) Speaker
38.	Legally permissible a) 25 & 21	age of marriage the bo b) 25 & 18	ys and girls is c) 21 & 18	d) 18 & 18
39.	This is not a function a) Selection of candic) Issue code of con		nission, b) Preparing Electoral d) Allotment of symbo	
40.		ose President rule in a s b) 352	Receipt of a Report finestate, c) 353	om the Governor or d) 356

			VY		
41.	T.N. Seshan was thea) Election commission c) Election observer	of Indi	b) Chief Electiond) Election con		
42.	The Chief Justice of H a) PM b) CM	(igh court is appoint c) President	ed by the, dent d) Chie	ef Justice of India	
43.	Who is the Chairman a) President	of the Rajya Sabha, b) PM	c) Speaker	d) Vice-President	
44.	Which of the following a) 14	g Articles provides b) 19	Right to Protection c) 21	of Life and Property d) 22	
45.	Bi-Cameral means a) One house	b) Two house	c) One+Two ho	ouses d) None of these	
46.	To Declare National I a) Rajya Sabha	Emergency a decision b) Lok Sabha	on must be taken by c) Cabinet	the, d) Parliament	
47.	Which of the following a) President	ng is the guardian of b) Parliament	the constitution, c) Lok Sabha	d) Supreme court	
48.	Re-organisation of St	ates on Linguistic li b) 3 rd	nes was done in c) 5 th	Amendment. d) 7 th	
49.	Constitution legislature membersha) 86 th	onal Amendment R hip, b) 65 th	estricted the Counc	d) 91 st	е
50.	Can the Governor be a) No	the Governor for tw b) Yes c)	one state and One	UT d) 2 UTs	
51.	Who is the Present C a) T N Chaturvedi c) Vajubhai Vala	30	ca, b) Hamsaraj Bl d) Thawar Cha		
52.	Who is the Present F a) Man Mohan Single c) Amit Shah	President of India?	b) R N Kovid d) Narendra M	odi	
53.	Which was the lengt a) 24 th	b) 42 nd	Constitution, c) 43 rd	d) 44 th	
54.	The commission apply, a) Mandal	pointed to investiga b) Nanavathi	te the condition of c) Sarkaria	Backward classes was heade d) Narasimha	ed
55.	The total number of a) 3 c) 5	Election Commission	oners including the b) 4 d) 6	CEC is	

56.	Amendment pr Fundamental Duties and m adding "Socialistic and Secu	ovided for antailme ade changes to the b	nt of Fundamenta basic structure of t	l Rights, imposes the constitution by
	a) 40 th b) 41 ^s		nd d)	44 th
57.	a) PM Administer Oath b) Pres	n to the CM of a state.		Chief Justice
58.	The Right to enforce functionstitution. a) 12 b) 14	amental rights is en	Á.	of the
59.	Who is the Supreme Comma a) PM b) Presiden	nder of Armed forces	in India?	
60.	To become Governor one has a) 30 b) 35		year.	er of Loksabha
61.	Engineers can use the code o a) Resolve the conflicts c) Shift the responsibility	b) For	to, rmulate the problem ercome the work pro	
62.	In concept of respo of being harmed. a) Minamalist c) Good work view	b) Rea	is being paid to tho asonable care of these	se who are the risk
63.	In Engineering R and D, rediscarding the rest is called, a) Cooking b) Trir		A	tory statement and Skimming
64.	Stealing of IPR means, a) Cooking b) For	gery c) Tri	imming d)	Plagiarism
65.	Which of the following is not a) Group think b) Mic	t an impediment to res roscopic vision c) I		Trade mark
66.	Engineer's expert testimony a) Adaquate time for through c) Smoothing of irregularities d) Retaining and Manipulatir	investigation b) Sca to make the data app	anning and skimmin	g information ecise.
67.	Revealing confidential informa) Violation of patent c) Breach of contract	b) Mis	suse of trust minal Breach of tru	st
68.	A professional engineer can t a) Doubts c) Ethical crisis	b) Leg	of ethics when he hagal problems nfusion	as,
69.	Fear is to respon a) A way of shift c) Way to corrupt	b) an	Impediment of these	

70.	Engineer may not be held legally liable for a) Intentionally c) Negligently	or causing harm, when the harm is caused, b) Ignorantly d) Recklessly
71.	Which of the following is NOT preserved a) Copy rights c) Trade secrets	d as an Intellectual property? b) Patents d) Government regulation
72.	It is not a kind of trade mark, a) Designs c) Sounds	b) Symbols d) Goodwill
73.	This is not dishonesty in Engineering Rea) Crimping c) Cooking	search and Testing, b) Forging d) Plagiarism
74.	Ego centric tendencies mean, a) Superiority complex c) Arrogant and irresponsible behaviour	b) Interpreting situation from a limited view d) Habit of condemning the views of others
75.	No code will be give to get s a) Guidelines b) Set of Ideas	c) An algorithm d) Ethical standard
76.	Which of the following is not considered a) Moral imagination c) Development of analytical skills	d the aim of engineering ethics, b) Identification of ethical issues d) Responsibility shifting
77.	The public is put to increased risk by specific safety standard and acceptable a) Normal accident c) Risk assessment	y allowing increased number of deviation from risk is known as, b) Normalising deviation d) Over estimated risk
78.	Which of the following is basic attitude a) Vigilant view b) Minimalist vie	towards responsibility, w c) Moralist view d) All of these
79.	A fault tree is used to, a) Assess the risk involved c) Take free consent	b) To claim compensation d) To improve safety
80.	Cooking means, a) Boiling under pressure c) Making deceptive statements	b) Retaining results which fit the theory d) Misleading the public.
81.	What is the name of the IT Law that In a) India's Technology (IT) Act, 2000 b) India's Digital Information Technology (IT) India's Information Technology Act, 2008	ogy Act (DIT) 2000
82.	Under which section of IT Act, stealing crime, a) 65 b) 65-D	g any digital asset or information is written a cybe c) 67 d) 70

83.	Download copy, extract a) Cyber –warfare b)	data from an open Cyber security Act		y is treated as, d) Cyber-crime
84.	Any digital content, wh cyber crime that comes	under of I'	Γ Act.	
	a) Section 66 b) Section 67	c) Section 68	d) Section 69
85.	IT Act 2008 make cy publishes sexually expli pay a legitimate amount	icit digital content the of fine,	nen under of IT A	Act, 2008 he/she has to
	a) Section 67-A b) Section 67-B	c) Section 67-C	d) Section 67-D
86.	Which section of IT authorities?	100	Æ T	entroller of certifying
	a) Section 5 b):	Section 15	c) Section 10	d) Section 17
87.	IT 2000 amended varion a) Indian Penal Code18 b) Reserve Bank of Indi c) Indian Evidence Act d) All the above	ia, Act 1934 and Bankers Book I	Evidence Act 1891	
88.	Which section of IT Act a) Section 67 A b	t deals with child po) Section 67 B	ornography? c) Section 67 F	d) Section 67 C
89.	Repeated harassment a email is known as, a) Cyber Phishing b	1	navior towards someon	
90.	Unauthorised control/ac	ccess over compute	er system and destroying	ng computer data and
	program is known as,) Hacking	c) Piracy	d) Cyber smear
91.	What is the maximum to 2000?	term of punishment	for hacking a computer	r system as per IT Act
	a) 1 year b) 3 years	c) 5 years	d) 4 years
92.	Any criminal entity t	hat uses computer	as a instrumentality/	Target or means for
	perpetuating further crit	nes comes within or		
	a) Software piracyc) Conventional crimes	A	b) Cyber crimes d) Data crimes	
93.		ALT		
93.	Private key is used to, a) Digitally sign		b) Verify the sign	
	c) Verify the door stage	2/	d) Make payments	
94.	means a per	son who has been	granted a license to is:	sue a digital signature
	certificate,			
	a) Controller b) Co	ertifying authority	c) Certified issuer	d)Licensed authority
95.		n whose name the d	ligital signature certifica	te is issued,
	a) Certified authorityc) Holder		b) Subscriber d) Controller	
	AL-	7	of 8	

96.	UNICITRAL stands fa) United Nations Corb)	ntre for Indian Trade l nmission on Internation mmission for Indian T	rade Laws.	
97.	ic known	as publication withou	nt justification or lawful that person hatred and c b) Cyber defamation d) Cyber phishing	excuse which tends to ontempt.
98.	Which are the section a) 66, 66A, 66B c) 67, 67C, 67D	ns of IT Act applicable	b) 67, 67A, 67B d) None of the above	
99.	Which section dea government and its a a) Section 3	s with the use of gencies? b) Section 5	c) Section 6	d) Section 7
100.	Which is the appeal a) Munsiff court	b) District court	ued by cyber appellate to c) High Court	ribunal? d) Supreme court
		4	8:45	4
	5	0	5	

Third Semester B.E. Degree Examination, July/August 2021 Additional Mathematics – I

Time: 3 hrs.

Max. Marks: 100

Note: Answer any FIVE full questions.

1 a. Show that
$$(1 + \cos\theta + i\sin\theta)^n + (1 + \cos\theta - i\sin\theta)^n = 2^{n+1}\cos^n\left(\frac{\theta}{2}\right)\cos\left(\frac{n\theta}{2}\right)$$
. (07 Marks)

b. Express $1-i\sqrt{3}$ in polar form and hence find its modulus and amplitude. (06 Marks)

c. Express
$$\frac{1}{1-\cos\theta+i\sin\theta}$$
 in the form a + ib and also find its conjugate. (07 Marks)

2 a. Define dot product between two vectors \vec{A} and \vec{B} . Find the sine of the angle between the vectors $\vec{A} = 2\hat{i} + 2\hat{j} + \hat{k}$ and $\vec{B} = \hat{i} - 2\hat{j} + 2\hat{k}$. (07 Marks)

b. If $\vec{A} = \hat{i} - 2\hat{j} + 3\hat{k}$, $\vec{B} = -\hat{i} + 2\hat{j} + \hat{k}$ and $\vec{C} = 3\hat{i} + \hat{j}$, find the value of p such that $\vec{A} - p\vec{B}$ is perpendicular to \vec{C} .

c. Find $\vec{a} \cdot (\vec{b} \times \vec{c})$, $\vec{b} \times (\vec{a} \times \vec{c})$ and $\vec{c} \cdot (\vec{a} \times \vec{b})$ where $\vec{a} = \hat{i} + \hat{j} - \hat{k}$, $\vec{b} = 2\hat{i} - \hat{j} + 2\hat{k}$, $\vec{c} = 3\hat{i} - \hat{j} - \hat{k}$.

(07 Marks)

3 a. Obtain the Maclaurin's series expansion of log(sec x) upto the terms containing x⁶.(07 Marks)

b. If
$$u = \tan^{-1} \left(\frac{x^3 + y^3}{x - y} \right)$$
 then using Euler's theorem, prove that $x \frac{\partial u}{\partial x} + y \frac{\partial u}{\partial y} = \sin 2u$.

(06 Marks)

c. If
$$u = f(x - y, y - z, z - x)$$
, prove that $\frac{\partial u}{\partial x} + \frac{\partial u}{\partial y} + \frac{\partial u}{\partial z} = 0$. (07 Marks)

4 a. Obtain the Maclaurin's series expansion of the function $\sqrt{1+\sin 2x}$ upto x^4 . (07 Marks)

b. If
$$u = e^{\frac{x^2 y^2}{x+y}}$$
, prove that $x \frac{\partial u}{\partial x} + y \frac{\partial u}{\partial y} = 3u \log u$ using Euler's theorem. (06 Marks)

c. If
$$u = \frac{yz}{x}$$
, $v = \frac{zx}{y}$, $w = \frac{xy}{z}$ then show that $\frac{\partial(u, v, w)}{\partial(x, y, z)} = 4$ (07 Marks)

a. A particle moves along a curve x = 3t², y = t³ - 4t, z = 3t + 4 where t is the time variable. Determine the components of velocity and acceleration vectors at t = 2 in the direction i - 2ĵ + 2k̂.

(07 Marks)

b. Find the unit normal vector to the surface $xy^3z^2 = 4$ at the point (-1, -1, 2). (06 Marks)

c. Show that the vector field $\vec{F} = (2x + yz)\hat{i} + (4y + zx)\hat{j} - (6z - xy)\hat{k}$ is irrotational. Also find ϕ such that $\vec{F} = \nabla \phi$. (07 Marks)

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- a. Find div \vec{F} and Curl \vec{F} , where $\vec{F} = \nabla(x^3 + y^3 + z^3 3xyz)$. (07 Marks)
 - b. If $\vec{F} = (3x^2y z)\hat{i} + (xz^3 + y^4)\hat{j} 2x^3z^2\hat{k}$ then find $\nabla \cdot \vec{F}$, $\nabla \times \vec{F}$ and $\nabla \cdot (\nabla \times \vec{F})$ at (2, -1, 0). (06 Marks)
 - Determine the constant 'a' such that the vector $(2x+3y)\hat{i} + (ay-3z)\hat{j} + (6x-12z)\hat{k}$ is (07 Marks) Solenoidal.
- a. Obtain a reduction formula for $\int_{-\infty}^{\infty} \cos^n x dx (n > 0)$. (07 Marks)
 - b. Evaluate $\int_{0}^{a} x^4 \sqrt{a^2 x^2} dx$. (06 Marks)
 - c. Evaluate $\int_{1}^{5} \int_{1}^{x^2} x(x^2 + y^2) dxdy$. (07 Marks)
- a. Obtain a reduction formula for $\int \sin^n x dx$ (n > 0). (07 Marks)
 - b. Evaluate $\int_{0}^{2a} x^2 \sqrt{2ax x^2} dx$ (06 Marks)
 - c. Evaluate $\iint_{10}^{1} \int_{0}^{z} (x+y+z) dy dx dz$ (07 Marks)
- a. Solve $(2x^3 xy^2 2y + 3)dx (x^2y + 2x)dy = 0$ (07 Marks)
 - b. Solve $\frac{dy}{dx} y \tan x = y^2 \sec x$. (06 Marks)
 - c. Solve $3x(x+y^2)dy + (x^3-3xy-2y^3)dx = 0$ (07 Marks)
- 10 a. Solve $\frac{dy}{dx} + y \cot x = \sin x$. (07 Marks)
 - (06 Marks)
 - b. Solve (x+3y-4)dx + (3x+9y-2)dy = 0c. Solve $[1+(x+y)\tan y]\frac{dy}{dx} + 1 = 0$ (07 Marks)